

Points of Concurrency in the Coordinate Plane – Circumcenter

Name: \_\_\_\_\_ Date: \_\_\_\_\_ Period: \_\_\_\_\_

The circumcenter is found from the intersection of the three \_\_\_\_\_

<p>1. Draw <math>\triangle DIP</math> <math>D(-4, 6)</math>, <math>I(2, 6)</math> and <math>P(6, 0)</math>.</p> <p>* Write the equation of the line that passes through <math>(-1, 2)</math> and <math>(-1, -7)</math>. Graph the line.</p> <p>* Write the equation of the line that passes through <math>(-5, -3)</math> and <math>(1, 1)</math>. Graph the line.</p> <p>* Label the circumcenter of <math>\triangle DIP</math> as point Q.</p> <p>* What are the coordinates of the circumcenter?</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle DIP</math>.</p>	<p>2. Draw <math>\triangle CAN</math> <math>C(-4, 4)</math>, <math>A(8, 2)</math> and <math>N(-4, -2)</math>.</p> <p>* Write the equation for the <math>\perp</math> bisector of segment CN.</p> <p>* Write the equation for the <math>\perp</math> bisector of segment AN.</p> <p>* Write the equation for the <math>\perp</math> bisector of segment CA.</p> <p>* Graph each <math>\perp</math> bisector to show they intersect at the circumcenter of <math>\triangle CAN</math>.</p> <p>* What are the coordinates of the circumcenter of <math>\triangle CAN</math>? Label this point X.</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle CAN</math>.</p>
<p>3. Write the equation for the 3 lines that intersect to form the circumcenter of <math>\triangle RAD</math>:  <math>R(-6, 1)</math>, <math>A(0, 1)</math>, <math>D(0, -3)</math></p> <p>* Graphically show that these lines meet at the point of concurrency. Label it point Y.</p> <p>* Give the coordinates of the circumcenter.</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle RAD</math>.</p>	<p>4. Write the equation for the 3 lines that intersect to form the circumcenter of <math>\triangle TAP</math>:  <math>T(1, 1)</math>, <math>A(3, 7)</math>, <math>P(5, 1)</math></p> <p>* Graphically show that these lines meet at the point of concurrency. Label it point W.</p> <p>* Give the coordinates of the circumcenter.</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle TAP</math>.</p>
<p>5. Write the equation for the 3 lines that intersect to form the circumcenter of <math>\triangle SKY</math>:  <math>S(-5, -1)</math>, <math>K(1, -5)</math>, <math>Y(7, -1)</math></p> <p>* Graphically show that these lines meet at the point of concurrency. Label it point Z.</p> <p>* Give the coordinates of the circumcenter.</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle SKY</math>.</p>	<p>6. Write the equation for the 3 lines that intersect to form the circumcenter of <math>\triangle PIN</math>:  <math>P(2, 6)</math>, <math>I(6, 2)</math>, <math>N(-2, -6)</math></p> <p>* Graphically show that these lines meet at the point of concurrency. Label it point V.</p> <p>* Give the coordinates of the circumcenter.</p> <p>* Use a compass to draw the circumscribed circle of <math>\triangle PIN</math>.</p>

<p>7. Write the equation for the 3 lines that intersect to form the circumcenter of <math>\Delta ZAP</math>:  <math>Z(-2, -6), A(2, 10), P(4, 2)</math></p> <p>* Graphically show that these lines meet at the point of concurrency. Label it point U.</p> <p>* Give the coordinates of the circumcenter.</p> <p>* Use a compass to draw the circumscribed circle of <math>\Delta ZAP</math>.</p>	<p>8. Find the coordinates of the circumcenter of <math>\Delta TRM</math>:  <math>T(-2, 1), R(4, 3), M(-4, -1)</math></p>
<p>9. Find the coordinates of the circumcenter of right <math>\Delta MNO</math>:  <math>M(-4, 0), N(0, 5), O(10, -3)</math></p>	<p>10. Find the coordinates of the circumcenter of <math>\Delta CDE</math>:  <math>C(0, 6), D(0, -6), E(12, 0)</math></p>
<p>11. Find the coordinates of the circumcenter of <math>\Delta FGH</math>:  <math>F(-6, 0), G(3, 6), H(0, 12)</math></p>	
<p>12. If a triangle is a right triangle, there is a shorter method to finding the circumcenter. What is it? Explain.</p>	<p>13. If a triangle is an isosceles triangle, then there is a different, perhaps shorter method to finding the circumcenter. Explain.</p>