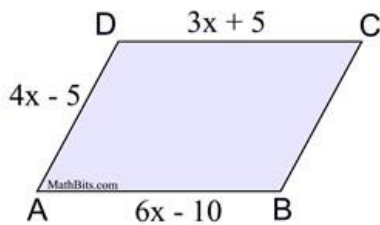


1. Draw two perpendicular lines. How many times do they intersect? How many right angles do they form?

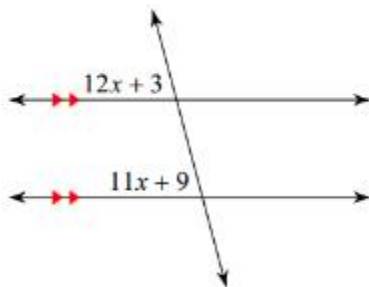
2. There are two points, A and B. Answer the following questions:

- How many lines can you draw that contain both A and B?
- How many points are between A and B?
- Is the length of AB equal to BA?
- Draw a line segment called CA that does NOT contain point B.

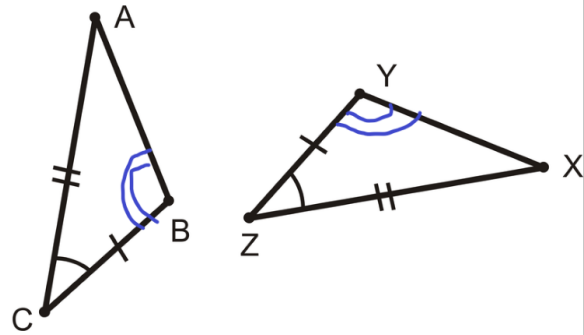
3. Given the parallelogram, solve for x:



4. Given the figure, solve for x

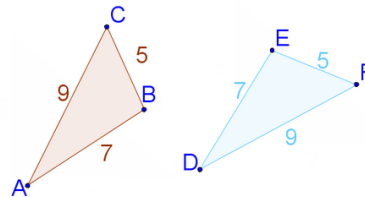


5. What are two ways to prove these two triangles congruent?



- | | |
|--------|--------|
| A. SSS | B. SAS |
| C. ASA | D. HL |

6. List TWO DIFFERENT METHODS to prove the two triangles congruent (for the second method, think about our transformation unit)

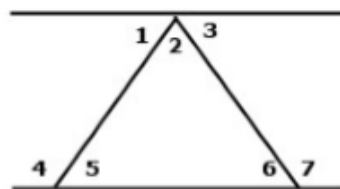


Method 1:

Method 2:

7. I rotate triangle ABC to create triangle A'B'C'. What do I know about angle A and A'? What do I know about side BC and B'C'?

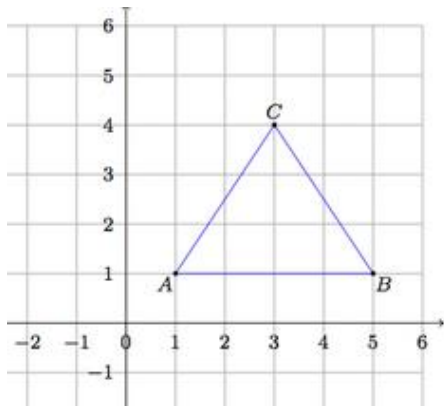
8. Jeremy claims that angle 2 is congruent to angle 4 because they are alternate interior angles. Is he correct? Explain.



9. Define and draw a pair of parallel lines.

10. Do parallel lines have the same slope or different slopes?

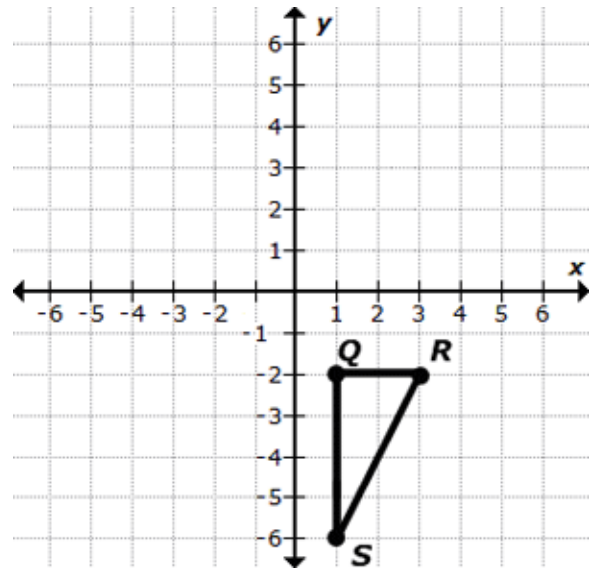
11. What transformations will take this triangle back onto itself? (Be specific)



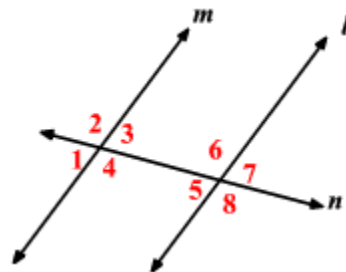
12. The point A (4, -3) is rotated 90 degrees counterclockwise about the origin. Then it is reflected across the y-axis to form a new point A'. Where is A'?

13. The point B (-7, 2) is transformed using the rule $(x, y) \rightarrow (-y, x+10)$. Where is the new point B'?

16. Apply the rule $(x, y) \rightarrow (-x, -y)$ to the following triangle. DRAW the new triangle on the coordinate plane.



16. List the corresponding and alternate interior angles on the figure below.



Alternate interior:

Corresponding:

17. What are TWO possible ways that the square on the left was transformed to become the square on the right?

